

-NoValue-

syn.1 Languages and Connectives

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sec

Classical propositional logic, and many other logics, use a set supply of *propositional constants* and *connectives*. For instance, we use the following as primitives:

1. The propositional constant for *falsidade* $\perp$.
2. The propositional constant for *verdade* $\top$.
3. The logical connectives: $\neg$ (negation), $\wedge$ (conjunction), $\vee$ (disjunction), $\rightarrow$ (*condicional*), $\leftrightarrow$ (*bicondicional*)

The same connectives are used in many-valued logics as well. However, it is often useful to include different versions of, say, conjunction, in the same logic, and that would require different symbols to keep the versions separate. Some many-valued logics also include connectives that have no equivalent in classical logic. So, we'll be a bit more general than usual.

Definição syn.1. A *propositional language* consists of a set $\mathcal{L}$ of *connectives*. Each connective $\star$ has an *arity*; a connective of arity n is said to be *n-place*. Connectives of arity 0 are also called *constants*; connectives of arity 1 are called *unary*, and connectives of arity 2, *binary*.

Exemplo syn.2. The standard language of propositional logic $\mathcal{L}_0$ consists of the following connectives (with associated arities): $\perp$ (0), $\neg$ (1), $\wedge$ (2), $\vee$ (2), $\rightarrow$ (2). Most logics we consider will use this language. Some logics by tradition an convention use different symbols for some connectives. For instance, in product logic, the conjunction symbol is often $\odot$ instead of $\wedge$. Sometimes it is convenient to add a new operator, p.ex., the determinateness operator Δ (1-place).

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Referências Bibliográficas